

Chapter 9: Comparing Three or More Group Means: The One-Way Between Subjects Analysis of Variance (ANOVA)		
Statistical Concept	Plain English Description	Mathematical Formula
Sums of squares	Sum of the squared deviations from the group mean	$\Sigma(x - M)^2$
Total sums of squares	Sum of the squared deviation of each score in the entire dataset from the grand mean in a dataset	$\Sigma(x - \text{grand mean})^2$
Within-groups sums of squares	Sum of the squared deviation of each score within a group from its group mean	$\Sigma(x - \text{group mean})^2$
Between-groups sums of squares	Sum of the squared deviation of each group mean from the grand mean	$\Sigma(\text{group mean} - \text{grand mean})^2$
Total degrees of freedom	Total sample size minus 1	$df_{\text{total}} = \text{sample size} - 1$
Within-groups degrees of freedom	Total sample size minus the number of groups being compared	$df_{\text{within-groups}} = \text{sample size} - \text{number of groups in the ANOVA}$
Between-groups sums of squares	Number of groups being compared minus 1	$df_{\text{between}}\text{-groups} = \text{number of groups in the ANOVA} - 1$
Mean Square (MS)	Sums of squares divided by degrees of freedom	$MS = \frac{\text{Sums of squares(SS)}}{df}$
Mean Square within-group	Within-groups sums of squares divided by within-groups degrees of freedom	$SS_{\text{within-groups}}/df_{\text{within-groups}}$
Mean Square between-groups	Between-groups sums of squares divided by between-groups sums of squares	$SS_{\text{between-groups}}/df_{\text{between-groups}}$
F ratio test statistic	Mean Square between-groups divided by mean square within-groups	$MS_{\text{between-groups}}/MS_{\text{within-groups}}$
Effect size (partial eta squared)	Between-groups sums of squares divided by between-groups sums of squares plus within-groups sums of squares	$\eta_p^2 = \frac{SS_{\text{between-groups}}}{SS_{\text{between-groups}} + SS_{\text{within-groups}}}$
Honestly Significant Difference (HSD)	Square root of mean square within-groups divided by the number of participants in each group, all multiplied by a constant (Q)	$HSD = Q \times \sqrt{\frac{MS_{\text{within-groups}}}{\text{number of participants in each group}}}$